

## CLAIMS

Having thus described our invention, what we claim as new and desire to secure by Letters Patent is as follows:

- 1 1. A method of progressive time stamp resolution in a multimedia presentation  
 2 comprising the steps of:  
 3 supplying a player of a multimedia presentation with information  
 4 comprising two labels, one for a multimedia object's start time and one for the  
 5 multimedia object's end time relative to other multimedia object start and stop  
 6 times, and three durations, a minimum duration, a maximum duration and a  
 7 preferred duration for each multimedia object prior to starting playback of the  
 8 multimedia object; and  
 9 resolving the durations of multimedia objects using said information  
 10 based on actual multimedia object durations and arrival of information of  
 11 multimedia objects to be played.
- 1 2. The method of progressive time stamp resolution in a multimedia  
 2 presentation recited in claim 1 wherein the step of resolving comprises the  
 3 steps of:  
 4 calculating minimum and maximum end times for over all multimedia  
 5 objects;  
 6 calculating actual end times that are shared by all multimedia objects;  
 7 and  
 8 recalculating a preferred duration of each multimedia object.

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3. The method of progressive time stamp resolution in a multimedia presentation recited in claim 1 wherein the step of resolving comprises the steps of:

collecting all the dependency relations for the label Px, by taking all objects  $n$  that have Px as the label for their end time:

$$t_n + \text{minimum}(n) \leq t_x \leq t_n + \text{maximum}(n) \quad n = 1, \dots, N$$

where  $t_n$  is the start time of object  $n$ , and  $N$  is the number of objects;

using the  $N$  relations to calculate the tightest bounds on  $t_x$ :

$$\min\{t_x\} \leq t_x \leq \max\{t_x\}$$

with

$$\min\{t_x\} = \max\{t_n + \text{minimum}(n)\} \quad n = 1, \dots, N$$

$$\max\{t_x\} = \min\{t_n + \text{maximum}(n)\} \quad n = 1, \dots, N;$$

recalculating the bounds on the durations of each object  $n$ , by using:

$$\text{duration}(n) = t_x - t_n$$

to get

$$\min\{t_x\} - t_n \leq \text{duration}(n) \leq \max\{t_x\} - t_n \quad n = 1, \dots, N; \text{ and}$$

recalculating the preferred duration of each object  $n$  according to the process:

if ( $\text{preferred}(n) < \min\{t_x\} - t_n$ ) then

$$\text{preferred}(n) = \min\{t_x\} - t_n$$

else if ( $\text{preferred}(n) > \max\{t_x\} - t_n$ ) then

$$\text{preferred}(n) = \max\{t_x\} - t_n$$

end if.

4. The method of progressive time stamp resolution in a multimedia presentation recited in claim 3 wherein the step of resolving further comprises the steps of:

4 using as the general error criterion for resolving the duration of each  
5 multimedia object:

$$6 \quad E = \sum_{n=1}^N \{\text{duration}(n) - \text{preferred}(n)\}^2$$

7 or, substituting  $\text{duration}(n) = t_x - t_n$ :

$$8 \quad E = \sum_{n=1}^N \{t_x - t_n - \text{preferred}(n)\}^2$$

9 and taking the derivative of  $E$  with respect to  $t_x$ , and setting this to 0 to obtain  
10 the optimal solution for the absolute time  $t_x$  of label Px as:

$$11 \quad t_x = \frac{1}{N} \sum_{n=1}^N \{t_n + \text{preferred}(n)\}; \text{ and}$$

12 calculating the corresponding duration of multimedia object  $n$  as:

$$13 \quad \text{duration}(n) = t_x - t_n.$$

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